## Mark scheme - Physical Quantities

| Question |  |  | Answer/Indicative content | Marks | Guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 |  |  | Line of best fit drawn through the data points <br> Gradient $=38$ <br> (Ckln2 $=$ gradient $)$ $1.2 \times 10^{-3} \times k \times \ln 2=38$ $k=4.6 \times 10^{4}\left(\Omega \mathrm{~m}^{-1}\right)$ | B1 <br> C1 <br> C1 <br> A1 | Allow $\pm 2$. Not calculated through use of a single point. <br> Possible ECF from incorrect gradient <br> Note: gradient of 40 gives $4.8 \times 10^{4}$ and gradient of 36 gives $4.3 \times 10^{4}$ <br> Examiner's Comments <br> This question is likely to be an unfamiliar scenario to many candidates and so required some careful reading. The first mark is for a single straight line of best fit; many candidates simply joined up the first and last point, which produced a line that did not produce an even distribution of points above and below. The gradient calculation was well done by most candidates, leading to a value within the tolerance. Although the given equation is likely to be unknown, most candidates were able to appreciate how to determine the value of $k$ and did so successfully. Over half of the candidates were able to achieve full marks on this question. |
|  |  |  | Total | 4 |  |
| 2 | a | i | $I=(v / 4)(1 / f)-k$ <br> Correct comparison with $y=m x+c$ | M1 <br> A1 | Correct manipulation of equation must be shown |
|  |  | ii | large triangle used to determine gradient <br> gradient calculated correctly $v=320\left(\mathrm{~m} \mathrm{~s}^{-1}\right)$ | B1 <br> B1 <br> B1 | $\Delta x>0.6 \times 10^{-3} \mathrm{~s}$ <br> Expect between 80 and $82\left(\mathrm{~m} \mathrm{~s}^{-1}\right)$ <br> Allow $320 \pm 20$; allow ECF from an incorrect gradient |
|  | b | i | Value of 1/F determined correctly from graph $F=350(\mathrm{~Hz})$ | C1 <br> A1 | Allow values between $2.83 \times 10^{-3}$ s and 2.84 $\times 10^{-3} \mathrm{~s}$ <br> Allow only alternative methods which use values from line of best fit |
|  |  | ii | $\begin{aligned} & (100(\Delta F / F)=) 100 \Delta v / v \\ & +\frac{100(\Delta l+\Delta k)}{(l+k)} \end{aligned}$ | B1 <br> B1 |  |


|  |  |  | Total | 9 |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 3 | a |  | At $t=0$ (and $t=15,30$ ) the (magnitude of the) centripetal force equals $R-W$ (as only vertical forces act on the tourist) | B1 | Allow at $t=0$ (or the bottom of the circle) the centripetal force is provided by the resultant/ upwards/vertical force |
|  | b | i | (For circular motion) there must (always) be a resultant force towards the centre <br> The resultant force is not always vertical/sometimes has a horizontal component <br> This can only be provided by friction/cannot be provided by $R$ and $\mathrm{W} / R$ and W are always vertical/only $F$ is horizontal | B1 $\times 2$ | any 2 from 3 marking points <br> Allow F provides the horizontal (component of the) centripetal force |
|  |  | ii | Sine wave with period 30 min and amplitude 0.050 (N) <br> Correct phase, i.e. negative sine wave | B1 <br> B1 | Must start at the origin |
|  |  | iii | $\begin{aligned} & F=0.050 \cos 40^{\circ} \\ & F=0.038(\mathrm{~N}) \end{aligned}$ | C1 A1 | Allow alternative methods e.g. triangle of forces <br> Allow ECF from graph if used |
|  | c |  | $\begin{aligned} & m=650 / g \text { or } m=650 / 9.81(=66.3 \mathrm{~kg}) \\ & \left(F=m r \omega^{2} \text { gives }\right) \\ & d=0.050 / m \omega^{2}=0.050 / 66.3 \times\left(3.5 \times 10^{-3}\right)^{2} \\ & d=62(\mathrm{~m}) \end{aligned}$ | C1 <br> C1 <br> A1 | Not $m=650 \mathrm{~kg}$ or $m=65 \mathrm{~kg}$ <br> or ( $F=m v^{2} / r$ and $v=2 \Pi r / T$ gives $)$ $d=0.050 \times(30 \times 60)^{2} /\left(4 \pi^{2} \times 66.3\right)$ |
|  |  |  | Total | 10 |  |
| 4 | a | i | $\begin{aligned} & \text { GPE }=(-) \text { GMm/r } \\ & \text { GPE }=(-) 6.67 \times 10^{-11} \times 2 \times 10^{30} \times 810 / 1.5 \times 10^{11} \\ & \text { GPE }=(-) 7.2 \times 10^{11}(\mathrm{~J}) \end{aligned}$ | C1 <br> C1 <br> A0 | Mark is for full substitution, including $6.67 \times$ $10^{-11}$ for G |
|  |  | ii | $\begin{aligned} & v=2 \Pi r / T=2 \Pi \times 1.5 \times 10^{11} / 3.16 \times 10^{7}(=29.8 \mathrm{~km} \\ & \left.\mathrm{s}^{-1}\right) \\ & \mathrm{KE}=1 / 2 m v^{2}=0.5 \times 810 \times\left(29.8 \times 10^{3}\right)^{2} \\ & \mathrm{KE}=3.6 \times 10^{11}(\mathrm{~J}) \end{aligned}$ | C1 <br> M1 <br> A1 | Allow proof by algebraic method for full marks e.g. $m v^{2} / r=\mathrm{G} M m / r^{2}$ <br> so $m v^{2}=G M m / r$ <br> Therefore KE/GPE $=1 / 2 m v^{2} /(G M m / r)=1 / 2$ |
|  |  | iii | $\begin{aligned} & \text { total energy }=(-)\left(7.2 \times 10^{11}-3.6 \times 10^{11}\right) \\ & \text { total energy }=(-) 3.6 \times 10^{11}(\mathrm{~J}) \end{aligned}$ | M1 <br> A0 | working must be shown; ECF (i) and (ii) |
|  | b | i | $\begin{aligned} & \boldsymbol{A}=470 / 8.8 \times 10^{-13}=5.3 \times 10^{14}(\mathrm{~Bq}) \\ & \lambda=\ln 2 /\left(88 \times 3.16 \times 10^{7}\right)\left(=2.5 \times 10^{-10} \mathrm{~s}^{-1}\right) \\ & (A=\lambda N) ; N\left(=5.3 \times 10^{14} / 2.5 \times 10^{-10}\right)=2.1 \times 10^{24} \end{aligned}$ | C1 <br> C1 <br> A1 | Mark is for correct calculation of A (in Bq or decays per s) <br> Mark is for correct working to give $\lambda$ in $\mathrm{s}^{-1}$ |
|  |  | ii | $P=P_{0} \exp (-\lambda t)$ | C1 | Allow formula in terms of $N$ or $A$ |


|  |  | $\begin{aligned} & P=470 \exp (-\ln 2 \times 100 / 88) \\ & P=210(\mathrm{~W}) \end{aligned}$ | C1 <br> A1 | Allow calculation in terms of $N$ or $A$; allow ECF for $N$ or $A$ |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Total | 12 |  |
| 5 |  | Level 3 (5-6 marks) <br> Clear explanation using kinetic theory ideas and either a clear proof using formulae or a correct calculation <br> There is a well-developed line of reasoning which is clear and logically structured. The information presented is relevant and substantiated. <br> Level 2 (3-4 marks) <br> A partial explanation using kinetic theory ideas and either a partial proof using formulae or a partial calculation <br> There is a line of reasoning presented with some structure. The information presented is in the most part relevant and supported by some evidence. <br> Level 1 (1-2 marks) <br> An attempt at either explanation or proof or calculation <br> There is an attempt at a logical structure with a line of reasoning. The information is in the most part relevant. <br> 0 marks <br> No response or no response worthy of credit. | B1 x 6 | Indicative scientific points may include: <br> Explanation using kinetic theory <br> - pressure = force/area <br> - force is caused by air molecules colliding with oven walls <br> - Newton's $2^{\text {nd }}$ Law states force $=$ rate of momentum change <br> - increased temperature means each molecule has greater KE <br> - hence greater velocity and hence greater momentum <br> - and more collisions with walls per second <br> - hence greater rate of momentum change on hitting walls. <br> - This would lead to greater pressure if $N$ remained constant <br> - so number of molecules in oven must decrease (air escapes) <br> - so fewer but 'harder' collisions at higher temperatures giving constant pressure. <br> - Rms velocity cincreases with temperature but number $N$ decreases and so effects balance out to keep total KE ( $1 / 2 \mathrm{Nm} c^{2}$ ) constant <br> Proof using formulae <br> - equate $p V=N k T$ and $E=\frac{3}{2} N k T$ to show $E=\frac{3}{2} p V$ <br> - in an ideal gas, all internal energy $E$ is kinetic energy <br> - so $E$ is independent of temperature <br> Calculation <br> - Internal energy $=\frac{3}{2} p V=1.5 \times 0.065$ $\times 1.0 \times 10^{5}=9.8 \mathrm{~kJ}$ <br> - At $T=293 \mathrm{~K}, N=p V / k T=1.6 \times 10^{24}$ and $n=2.7$ moles <br> - At $T=473 \mathrm{~K}, N=1.0 \times 10^{24}$ and $n=$ 1.7 moles |


|  |  |  |  |  | - so we can show that $N T$ (and/or $n T$ ) remain constant |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Total | 6 |  |
| 6 | a | i | $\begin{aligned} & (F=m a=) 190 \times 10^{3}=2.1 \times 10^{5} \mathrm{a} \\ & a=0.90\left(\mathrm{~m} \mathrm{~s}^{-2}\right) \end{aligned}$ | M1 A0 | $\mathrm{a}=0.905$ to 3 SF |
|  |  | ii | $\begin{aligned} & \left(v^{2}=u^{2}+2 \text { as gives }\right) 36=2 \times 0.90 \times s \\ & s=20(m) \end{aligned}$ | C1 <br> A1 | Allow any valid suvat approach; allow ECF from (i) <br> Note using a = 1 gives $\mathrm{s}=18(\mathrm{~m})$ |
|  |  | iii | $1 \quad P=F v$ <br> One correct calculation <br> e.g. $F=100 \times 10^{3}$ and $v=42$ gives $P=4.2 \times 10^{6}$ <br> (W) <br> $F \mathrm{~V}=$ constant <br> $2(P=\mathrm{VI}=4.2 \mathrm{MW}$ so $) 4.2 \times 10^{6}=25 \times 10^{3} \times \mathrm{I}$ $I=170(\mathrm{~A})$ | B1 <br> B1 <br> B1 <br> C1 <br> A1 | Equation must be seen (not inferred from working) <br> Allow any corresponding values of F and v ; working must be shown. No credit for finding area below curve <br> Allow $F$ is proportional to $1 / \mathrm{v}$ or graph is hyperbolic or correct calculation of $F v$ at two points (or more) <br> Allow $P=4 \mathrm{MW}$ or ECF from (iii)1 <br> Expect answers between 160-170 (A) |
|  | b | i | $\begin{aligned} & R(=\rho L / A)=1.8 \times 10^{-8} \times 1500 / 1.1 \times 10^{-4} \\ & R=0.25(\Omega) \end{aligned}$ | C1 A1 |  |
|  |  | ii | $\begin{aligned} & E=\sigma / \varepsilon=T / A \varepsilon(\text { so } T=E A \varepsilon) \\ & T=1.2 \times 10^{10} \times 1.1 \times 10^{-4} \times 0.013 \\ & T=1.7 \times 104(\mathrm{~N}) \text { or } 17(\mathrm{kN}) \end{aligned}$ | C1 <br> C1 <br> A1 | or calculation of $\sigma=1.56 \times 10^{8}\left(\mathrm{Nm}^{-2}\right)$ <br> or $\mathrm{T}=1.56 \times 10^{8} \times 1.1 \times 10^{-4}$ |
|  |  |  | Total | 13 |  |
| 7 |  | i | $R=3000+1500$ $V=12 \times 1500 / 4500=4(.0)(V)$ | C1 <br> A1 | $R=4500(\Omega)$ <br> or $I=V / R=12 / 4500=2.67 \mathrm{~mA}$ $\mathrm{V}_{1500}=2.67 \mathrm{~mA} \times 1.5 \mathrm{k} \Omega=4.0(\mathrm{~V})$ |
|  |  | ii | $\begin{aligned} & V(=12 \times 1500 / 1600)=11.25(\mathrm{~V}) \\ & \Delta V=11.25-4.0=7.25(\mathrm{~V}) \end{aligned}$ | C1 <br> A0 |  |
|  |  |  | Total | 3 |  |
| 8 |  | i | $\begin{aligned} & E=\frac{6.63 \times 10^{-34} \times 3.0 \times 10^{8}}{490 \times 10^{-9}} \\ & \text { energy }=4.1 \times 10^{-19}(\mathrm{~J}) \end{aligned}$ | C1 A1 | Note answer to 3 SF is $4.06 \times 10^{-19}$ |

\begin{tabular}{|c|c|c|c|c|}
\hline \& ii \& \[
\begin{aligned}
\& \text { (number of photons }=\text { ) } \quad \frac{0.230}{4.06 \times 10^{-19}} \\
\& \text { number of photons }=5.7 \times 10^{17}
\end{aligned}
\] \& C1
A1 \& \begin{tabular}{l}
Possible ECF from (b)(i) \\
Note answer is \(5.6 \times 10^{17}\) when \(4.1 \times 10^{-19}\) is used
\end{tabular} \\
\hline \& \& Total \& 4 \& \\
\hline 9 \& \& D \& 1 \& \\
\hline \& \& Total \& 1 \& \\
\hline 10 \& \& \[
\begin{aligned}
\& h \rightarrow \mathrm{~J} \mathrm{~s} / h \rightarrow \mathrm{Nms} / \mathrm{J} \rightarrow \mathrm{~kg} \mathrm{~m}^{2} \mathrm{~s}^{-2} \\
\& \text { base unit }=\mathrm{kg} \mathrm{~m}^{2} \mathrm{~s}^{-1}
\end{aligned}
\] \& \begin{tabular}{l}
C1 \\
A1
\end{tabular} \& \\
\hline \& \& Total \& 2 \& \\
\hline 11 \& i \& sensible diameter, e.g. 7 (mm)
\[
\begin{aligned}
\& \left(\text { power }=4.8 \times 10^{-7} \times \pi \times(0.0035)^{2}\right) \\
\& \text { power }=1.8 \times 10^{-11}(\mathrm{~W})
\end{aligned}
\] \& C1

A1 \& | Allow 2-16(mm) |
| :--- |
| Not $\pi d^{2}$; this is XP |
| Note check for AE (condone rounding error here) |
| Possible ECF for diameter outside the range $2-16(\mathrm{~mm})$ |
| Allow 1 SF answer here | <br>

\hline \& ii \& $$
\begin{array}{ll}
\left(I \propto A^{2} ;\right. \text { intensity doubles) } \\
A=\sqrt{2} \times 7.8 & \text { (or equivalent) } \\
A=11(\mathrm{~nm}) &
\end{array}
$$ \& \[

$$
\begin{aligned}
& \mathrm{C} 1 \\
& \mathrm{~A} 1
\end{aligned}
$$
\] \& Allow the C 1 mark for $4.8\left(\times 10^{-7}\right)=k \times[7.8$ $\left.\times\left(10^{-9}\right)\right]^{2}$ <br>

\hline \& \& Total \& 4 \& <br>
\hline 12 \& \& C \& 1 \& <br>
\hline \& \& Total \& 1 \& <br>

\hline 13 \& \& $$
\begin{aligned}
& \text { (Mass of adult }=\text { ) } 50 \mathrm{~kg} \text { to } 150 \mathrm{~kg} \text { or } \mathrm{W}=500 \mathrm{~N} \text { to } \\
& 1500 \mathrm{~N} \\
& \text { Area }=\frac{\text { weight }}{2.3 \times 10^{n}} \\
& \text { Area }=\frac{1}{3} \times \frac{\text { weight }}{2.3 \times 10^{6}}=\text { value for area }\left(\mathrm{m}^{2}\right)
\end{aligned}
$$ \& B1

C1
A1

A1 \& | Allow use of 10 for $g$ (since estimate) |
| :--- |
| Allow ECF for incorrect weight Ignore POT |
| Allow one significant figure |
| Examiner's Comments |
| A good proportion of the candidates scored full marks on this question. Some candidates found the total area rather than the area of one leg. A few candidates assumed that the stool had four legs. | <br>

\hline
\end{tabular}

|  |  |  |  | This question required candidates to estimate the mass or weight of an adult. In general, in this type of question a more generous mass is sensible. <br> Candidates who did well on this question started by stating the mass (or weight) of an adult. Examiners allowed a mass between 50 kg and 150 kg . Candidates then often worked out the total area before working out the area of one of the legs. Some candidates did not correctly understand that 2.3 MPa was equal to $2.3 \times 10^{6} \mathrm{~Pa}$. Some candidates incorrectly divided the stress by three. <br> Exemplar 4 <br> This candidate has clearly identified the average weight of an adult and then indicated how the weight of the adult is determined. <br> The candidate has then clearly stated the equation for stress and shown their working for full marks. <br> AfL <br> Candidates should be encouraged to practise making estimates of physical quantities. |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Total | 3 |  |
| 14 |  | D | 1 |  |
|  |  | Total | 1 |  |
| 15 |  | c | 1 |  |
|  |  | Total | 1 |  |
| 16 |  | $\begin{aligned} & (1 \mathrm{C}=)(1) \mathrm{A} \mathrm{~s} \\ & (1 \mathrm{~J}=)(1) \mathrm{kg} \mathrm{~m} \mathrm{~s}^{-2} \times \mathrm{m} \text { or }(1) \mathrm{N}=(1) \mathrm{kg} \mathrm{~m} \mathrm{~s}^{-2} \\ & V=\frac{\mathrm{kg} \mathrm{~ms}^{-2} \times \mathrm{m}}{\mathrm{As}}=\frac{\mathrm{kgm}^{2} \mathrm{~s}^{-2}}{\mathrm{As}} \\ & \mathrm{~kg} \mathrm{~m}^{2} \mathrm{~A}^{-1} \mathrm{~s}^{-3} \end{aligned}$ | C1 <br> C1 <br> M1 <br> AO | Allow alternative methods <br> Note this mark is for clear substitution and working <br> Examiner's Comments <br> Some candidates were not clear on what was |

### 2.1 Physical Quantities



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|  |  |  |  |  | candidates who arrived at the answer $1.6 \times$ <br> $10^{5} \mathrm{~m} \mathrm{~s}^{-1}$ using the incorrect value of $n$. |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 18 | a |  | Total |  |  |

